TG
3 Chris leaves island $A$ in a boat and sails 142 km on a bearing of $078^{\circ}$ to island $B$. Chris then sails on a bearing of $191^{\circ}$ for 220 km to island $C$, as shown in the diagram.
(a) Show that the distance from island $C$ to island $A$ is approximately 210 km .
(b) Chris wants to sail from island $C$ directly to island $A$. On what bearing should Chris sail? Give your answer correct to the nearest degree.

(a) As $90-12-11=67, \angle A B C=67^{\circ}$ :

$$
\begin{aligned}
x^{2} & =142^{2}+220^{2}-2(142)(220) \cos 67^{\circ} \\
& =44151.11909 \ldots \\
x & =210.1216769 \ldots \\
& =210 \text { (nearest whole) }
\end{aligned}
$$

(b) $\frac{\sin \theta}{142}=\frac{\sin 67^{\circ}}{210}$

$$
\begin{aligned}
\sin \theta & =\frac{142 \sin 67^{\circ}}{210} \\
& =0.622076175 \ldots \\
\theta & =38.46790685 \ldots \\
& =38 \text { (nearest whole) }
\end{aligned}
$$

As $38-11=27$ and $360-27=333$, the bearing is $333^{\circ}$.

* These solutions have been provided by projectmaths and are not supplied or endorsed by NESA.

