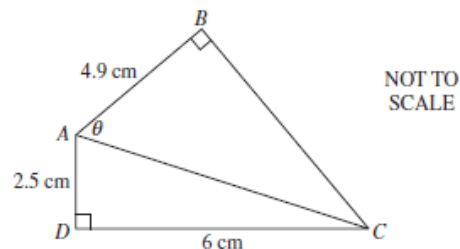




Want more revision exercises? Click [here](#) for **MathsFit** for \$2.95/topic - from projectmaths

- 19 MS2** **22** Two right-angled triangles,  $ABC$  and  $ADC$ , are shown.

Calculate the size of angle  $\theta$ , correct to the nearest minute.

**3**

Using triangle  $ADC$ , and Pythagoras:

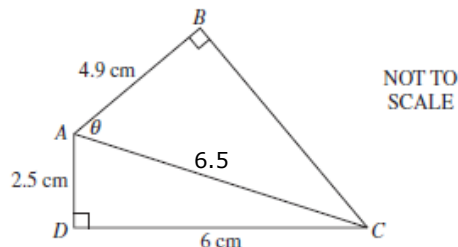
$$\begin{aligned} AC^2 &= 2.5^2 + 6^2 \\ &= 42.25 \end{aligned}$$

$$AC = 6.5 \quad \checkmark$$

Using triangle  $ABC$ ,

$$\cos \theta = \frac{4.9}{6.5} \quad \checkmark$$

$$\theta = 41^\circ 5' \text{ (nearest minute)} \quad \checkmark$$



State Mean:  
**1.54/3**

\* These solutions have been provided by [projectmaths](#) and are not supplied or endorsed by NESA.

### Marking Feedback:

#### In better responses, students were able to find the:

- Find  $AC$  by using either Pythagoras theorem or the cosine rule
- use right-angled trigonometry ( $\cos \theta = \frac{A}{H}$ ) to find  $\theta$

#### Areas for students to improve include:

- remembering to square root their answer when using Pythagoras' theorem or the cosine rule
- practising with two triangles of different orientations and identifying the correct trig ratio
- avoiding rounding too soon when solving problems with several steps
- understanding that if angles are alternate then the appropriate parallel lines would have been marked on the diagram.