35 A compass radial survey shows the positions of four towns $A, B, C$ and $D$ relative to the point $O$.

The area of the triangle BOC is $198 \mathrm{~km}^{2}$.
Calculate the bearing of town $C$ from point $O$, correct to the nearest degree.


$$
A=\frac{1}{2} a b \sin C
$$

Substitute $A=198, a=25, b=16$ :

$$
\begin{aligned}
& 198=\frac{1}{2}(25)(16) \sin C \\
& 198=200 \sin C \\
& \sin C=\frac{198}{200} \\
& C=81.89038554 \ldots \\
&=82 \text { (nearest whole) } \\
& \begin{aligned}
\text { Bearing } & =125+82 \\
& =207
\end{aligned}
\end{aligned}
$$

$\therefore$ the bearing is $207^{\circ}$. $\checkmark$

* These solutions have been provided by projectmaths and are not supplied or endorsed by NESA.


## Marking Feedback:

## Students should:

- be able to identify the correct formula from the reference sheet for an area
- understand a compass radial survey has its directions given as bearings
- use all the information given in the question.


## In better responses, students were able to find the:

- find the angle by rearranging the area of a triangle formula and add to 1250
- round the angle correct to the nearest degree.


## Areas for students to improve include:

- understanding that 'Not to Scale' means the angles are not exact in the diagram
- solving the area of a non-right angle triangle to find an unknown value
- interpreting the diagram to find a bearing from calculated values.

